

Chemistry 4114, Chapter 5 homework

5.1

Frequency dependent – flicker noise and Environmental noise

Frequency independent – Thermal noise, Shot noise

5.5

- a. A high pass filter allows high frequencies to pass and filters out the low frequencies. Flicker noise has a $1/(\text{frequency})$ dependence, so it is most pervasive at low frequencies. The high pass filter will take care of it. Environmental noise occurs at 60Hz intervals. Dependent upon what is considered high frequency, a high pass filter might also take care of some of the environmental noise.
- b. A low-pass filter allows low frequencies to pass and filters out the high frequencies. Again, dependent on what frequency is considered high and low, a low pass might be used to eliminate the environmental noise.

White noise contributions (shot and thermal) are frequency independent. Nevertheless, high-pass and low-pass filters will eliminate some of the contribution from each of these sources of noise. Clearly, it won't eliminate all possible contributions from a frequency independent source, but it will filter out some of the noise.

5.7

- a. Using the data, we can calculate the average and the standard deviation from this data set. We find that the average is: 1.003, and the standard deviation is 0.0028

The RSD (relative standard deviation, the standard deviation normalized to the mean) is: 0.00279

And the S/N is equal to the inverse of the RSD: 358

- b. The S/N is proportional to the \sqrt{n} , where n is the number of observations that go into determining the average and standard deviation of the measurement.

Given this, we can say that:

$$\frac{358}{500} = \frac{\sqrt{9}}{\sqrt{n}}$$

and $n = 18$ measurements

5.8

- a. Using the same procedure as above, the average is 1.435 and the standard deviation is 0.271. This gives a S/N for this measurement of 5.30

b. To improve the S/N to 10,

$$\frac{5.3}{10} = \frac{\sqrt{8}}{\sqrt{n}}$$

and $n = 29$ measurements